Stopwatches, loops, and graphs

Purpose:

Practice. To create a timing function and use that timing function to plot the time behaviour of various functions.

Due Date:

This assignment is due Thursday, 27 September, 2007 at the beginning of class.

Foot-in Procedure:

A complete assignment is due at the beginning of class and must contain (a) all of the code used to create the program, (b) Makefile's if any, (c) something showing the output of the compilation process, (d) test runs, (e) a Θ -analysis of the first Bracket algorithm, and (f) graphs of the running times.

Assignment:

Stop-watches

The first part of this assignment consists of creating a StopWatch class. You are going to need the StopWatch class in later assignments, so make sure that you create a separate StopWatch.h file, etc.

The StopWatch class should behave like a mechanical three-button stop-watch. That is, the interface should look something like:

Even though you may not need it for this assignment, your stop-watch should function correctly regardless of the order in which the three buttons are pressed. Your grade depends in part on how well you accomplish this.

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There is more than one notion of elapsed time for a multi-process operating system because single processes don't get all of the processor. What you want to measure is the elapsed CPU time, not the elapsed wall-clock time.

The man-pages for clock and times would seem to suggest using the clock() function to obtain the elapsed CPU-time. Unfortunately, this only gives you resolution of about 10 ms, which is much too long for many timing situations in this course.

There is another function in the standard C library that is much more appropriate: gethrvtime. This function is declared in the old-style <sys/time.h> header. For more information see man -s3c gethrvtime and look at /usr/include/sys/time.h.

- \Rightarrow Write and test your stop-watch program. Attempt to determine the granularity of the system clock. **gethrvtime** always returns an answer that is measured in nanoseconds, but on many systems the virtual process timer is not accurate to $\pm 1 \,\mathrm{ns}$.
- ⇒ Use your stop-watch to determine the time behaviour of the following functions, and plot your results on graph paper. Make sure that each of your graphs has a title, and labels, scale, and units for each axis.

Functions to plot

- The time taken by new to perform n allocations of integers on the heap.
- The time taken by new to perform n allocations of integer arrays, each of size n.
- The time taken for the first "bracket number" algorithm described below as a function of n. You should be able to compute a $\Theta(n)$ estimate for this algorithm.
- The time taken for the second (recursive) bracket number algorithm described below as a function of n.

More functions to plot — the "bracket" numbers The "bracket" numbers are a mathematical series important to Computer Science that start out $1, 1, 2, 5, \ldots$, and grow rapidly. They are defined by the equations

$$B_0 = 1 \tag{1}$$

$$B_n = \sum_{i=0}^{n-1} B_i B_{n-1-i} \qquad \text{for } n > 0.$$
 (2)

The first "bracket number" algorithm should use a vector, and look something like the code shown in Figure 1.

The second function should use recursion, and look something like the code shown in Figure 2. Write nicely documented, clean, organized code!

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Figure 1: Loop algorithm

```
#include <vector>
int bracket(int n)
{
    std::vector<int> answers(n+1) ;
    answers[0] = 1 ;
    for(int =1;i<=n;++i)
        {
        // compute answers[i] .... using previous answers
        }
    return answers[n] ;
}</pre>
```

Figure 2: Recursive algorithm

```
int bracket(int n)
{
    if (0==n)
        return 1;
    else
        {
        int answer = 0;
        for(int i=0;i<n;++i)
             {
             answer += bracket(i)*bracket(n-1-i);
        }
        return answer;
    }
}</pre>
```